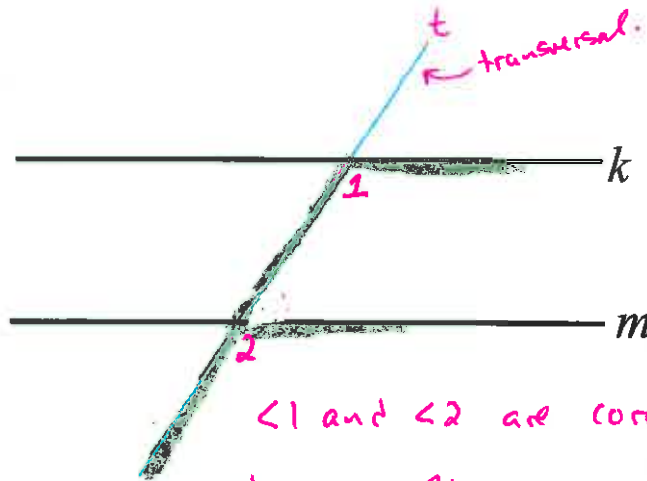


Parallel Lines Cut By A Transversal

Corresponding Angles:

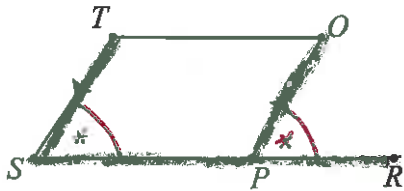
Notice the
"F"
shape.



$\angle 1$ and $\angle 2$ are corresponding.
notice: $\angle 1 \cong \angle 2$.

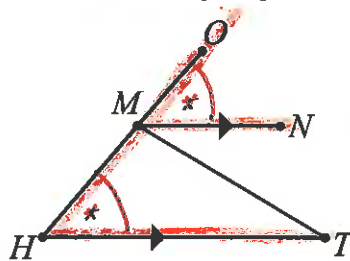
Theorem: If 2 parallel lines are cut by a transversal,
then the corresponding angles are \cong .

1. Name the congruent
Corresponding Angles



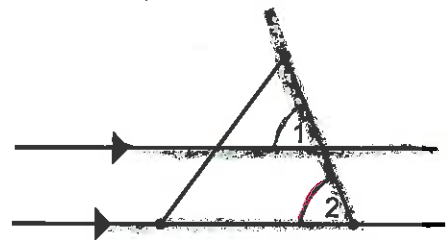
Angles: $\angle TSR$ and
 $\angle OPR$

2. Name the congruent
Corresponding Angles



Angles: $\angle OMN \cong \angle MHT$

3. Solve for x:
 $m\angle 1 = 45$, $m\angle 2 = 5x + 10$



$$m\angle 1 = m\angle 2$$

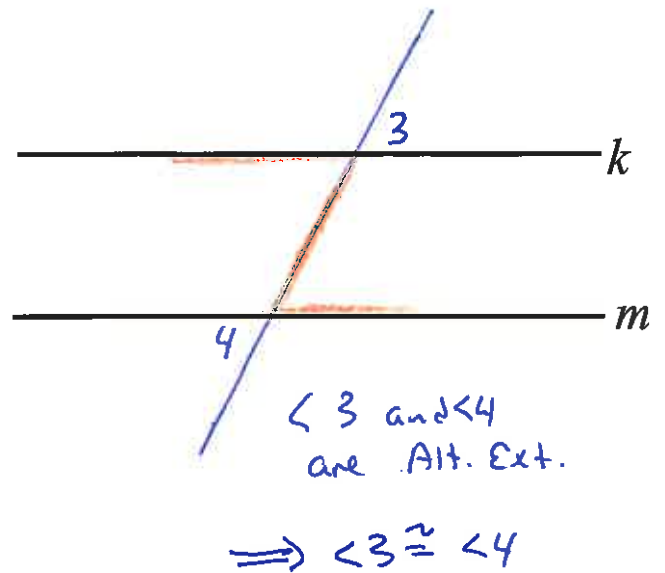
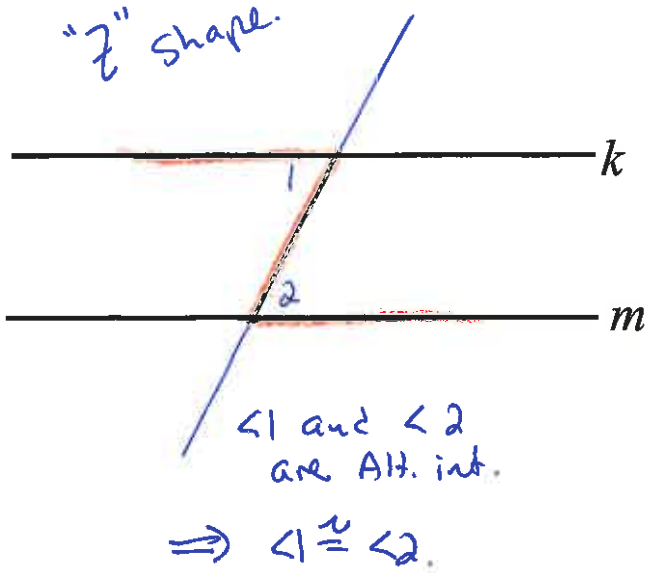
$$45 = 5x + 10$$

$$35 = 5x$$

$$x = 7$$

Alternate Interior Angles:

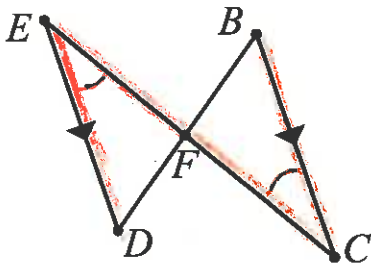
Alternate Exterior Angles:



Theorem: If 2 Parallel lines are cut by a transversal,
then the Alt. int / Alt. Ext. angles are \cong .

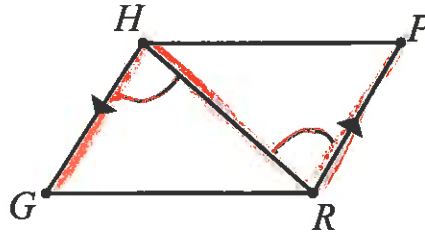
Examples:

1. Name the congruent
Alternate Interior Angles



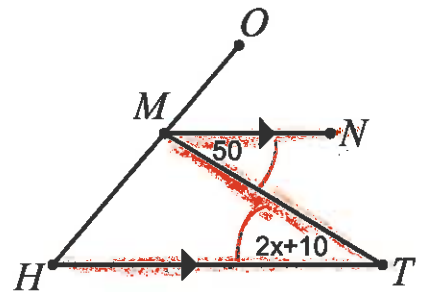
Angles: $\angle E \cong \angle C$
(Also $\angle D \cong \angle B$)

2. Name the congruent
Alternate Interior Angles



Angles: $\angle GHR \cong \angle PRH$

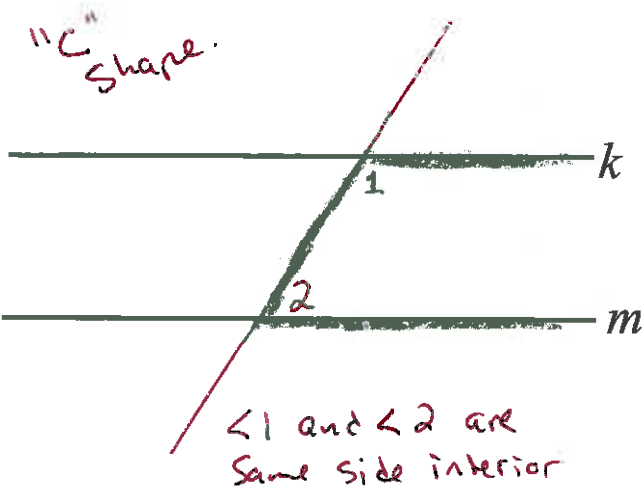
3. Solve for x.



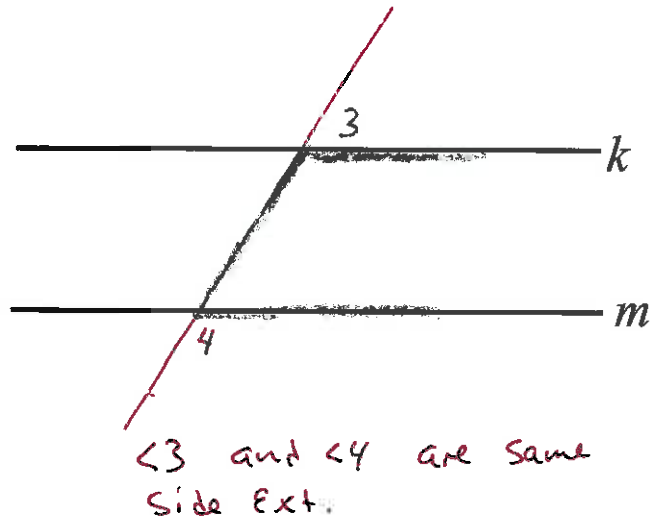
$m\angle NMT = m\angle HTM$
 $50 = 2x + 10$
 $40 = 2x$
 $x = 20$

Same Side Interior Angles:

Same Side Exterior Angles:



$\angle 1$ and $\angle 2$ are Same Side Interior
 $\Rightarrow m\angle 1 + m\angle 2 = 180^\circ$
 (they are Supplementary)

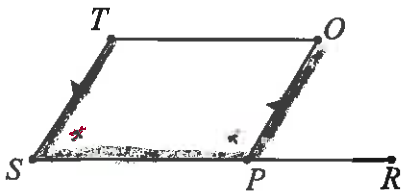


$\angle 3$ and $\angle 4$ are Same Side Ext.
 $\Rightarrow m\angle 3 + m\angle 4 = 180^\circ$

Theorem: If 2 Parallel lines are cut by a transversal, then the Same side int/ext. angles are Supp.

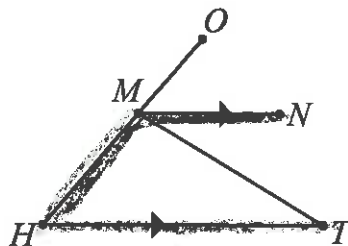
Examples:

1. Name the supplementary Same Side Interior Angles



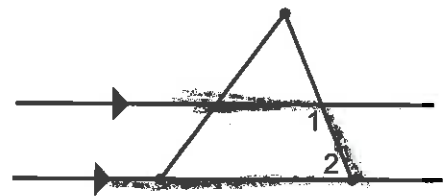
Angles: $\angle TSR$
 Supp to.
 $\angle OPR$.

2. Name the supplementary Same Side Interior Angles



Angles: $\angle NMH$
 Supp. to
 $\angle THM$.

3. Solve for x:
 $m\angle 1 = 2x + 90$, $m\angle 2 = 3x + 10$



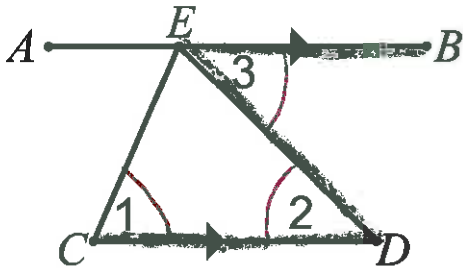
$m\angle 1 + m\angle 2 = 180$
 $2x + 90 + 3x + 10 = 180$
 $5x + 100 = 180$
 $5x = 80$
 $x = 16$

Parallel Line Proofs:

Example:

Given: $\overline{AB} \parallel \overline{CD}$
 $\angle 1 \cong \angle 2$

Prove: $\angle 1 \cong \angle 3$

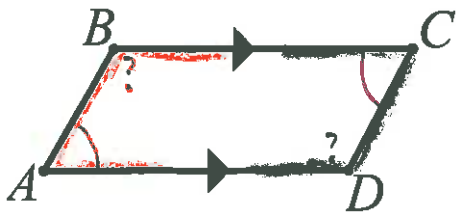


Statement	Reason
① $\overline{AB} \parallel \overline{CD}$	① Given
② $\angle 2 \cong \angle 3$	② // lines cut by trans. make alt. int. \angle 's \cong .
③ $\angle 1 \cong \angle 2$	③ Given
④ $\angle 1 \cong \angle 3$	④ transitive.

Example:

Given: $\overline{BC} \parallel \overline{AD}$
 $\angle A \cong \angle C$

Prove: $\angle B \cong \angle D$



Given $\overline{BC} \parallel \overline{AD}$ we get $\angle A$ supp. to $\angle B$ and $\angle D$ supp. to $\angle C$
 because 2 // lines cut by a trans. make the same side interior \angle 's
 supplementary. Since $\angle A \cong \angle C$ is given we get $\angle B \cong \angle D$
 because congruent angles have congruent supplements.